# Lab 3: Passive Components

U.C. Davis Physics 116A 10/8/2003

## INTRODUCTION

In this lab you will build a Thévenin equivalent circuit and a low-pass filter and will characterize each.

#### **1. THÉVENIN EQUIVALENT CIRCUIT**

In this section, you will build a circuit and its Thévenin equivalent and see how equivalent these two circuits really are. Construct the circuit shown in figure 1, a voltage divider with load resistance,  $R_L$ . For your lab report, calculate and measure the voltage at pointV for two values of  $R_L$ ,  $1k\Omega$  and  $10k\Omega$ . Be sure to include uncertainties in your measurements and to discuss the agreement between the calculated and measured values.

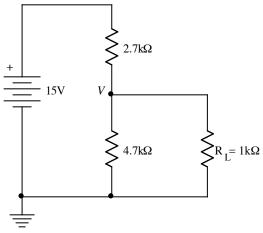


Figure 1: Circuit for demonstrating Thévenin equivalent.

Now calculate the r and e for the Thévenin equivalent of the above circuit. The Thévenin equivalent circuit is shown in figure 2. Construct this circuit using the variable voltage power supply for e and some combination of resistors for r. For your report, show your Thévenin calculation, measure your actual e, r, and voltage at V, and compare V with the circuit above and with theory.

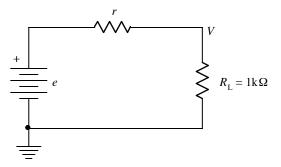


Figure 2: Thévenin equivalent for circuit of figure 1.

## 2. LOW PASS FILTER

In this section, you will measure the frequency response of a low pass filter circuit and see what the "low pass" name refers to. Construct the circuit shown in figure 3 using the function generator as the AC source. Use a 10V peak to peak sine wave as the  $v_{in}$  source signal. Use both channels of the oscilloscope to monitor  $V_{in}$  and  $V_{out}$  simultaneously showing their phase relationship as follows. Connect Ch. 1 to  $V_{in}$  and Ch. 2 to  $V_{out}$ . Set the oscilloscope to trigger on Ch. 1 only and adjust the trigger level until the trace starts at zero with positive slope. Ch. 1 will now display a sine wave. The phase difference of Ch. 2 will now be evident through the different starting value its trace and the overall displacement of the Ch. 2 waveform relative to Ch. 1.

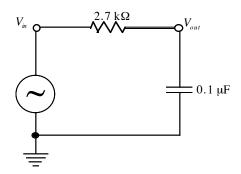


Figure 3: Low pass filter circuit.

The input and output signals can now be expressed as:

$$V_{in}(t) = v_{inm} \sin(\omega t),$$
  
$$V_{out}(t) = v_{outm} \sin(\omega t + \phi)$$

where  $v_{inm}$  and  $v_{outm}$  are the amplitudes of the input and output waveforms, respectively.

Calculate the break frequency (or corner frequency)  $f_{\rm b} = \omega_{\rm b}/2\pi$  for this circuit. Use this frequency and select 10 other frequencies, 5 above  $f_{\rm b}$  and 5 below  $f_{\rm b}$ . For each frequency, measure the voltage gain,

$$A_{v} = \frac{v_{outm}}{v_{inm}}$$

and the phase shift,  $\phi$ , of  $V_{out}$  relative to  $V_{in}$ . Bear in mind that you will want to find the slope of the fall-off of the gain on the log-log plot at high frequencies.

For your lab report, include your  $f_b$  calculation, your gain and phase shift data, and 4 separate graphs of the data. First, make a linear-linear graph of gain vs. frequency and phase angle vs. frequency, indicating  $f_b$  on each. (That's 2 graphs.) Then, make a log-log plot of gain vs. frequency and a semi-log plot of phase angle (linear) vs. frequency (log), comparing the data to the theoretical Bode plots for gain and phase angle. (That's the other 2.)

## 3. HIGH PASS FILTER

Design an RC high-pass filter with  $f_b = 10$ kHz. Build it and take enough data to make Bode plots for gain and phase. For your report, include a description of how you designed the circuit and the two Bode plots (each of which includes data points and a theoretical plot).