

Name _____

Freefall without drag

Consider the *vertical* motion of a basketball as described below.

- [0] At $t = 0$ seconds, it is moving straight *upwards* with a speed of 2.0 m/s. (Assume that it has long since left the hand of the person throwing it, and neglect any effect of air resistance throughout its motion.)
- [1] At some unknown time, it reaches its maximum height.
- [2] At some unknown time, it is moving *downwards* with a speed of 2.0 m/s, past the point at which it started its motion at $t = 0$ seconds.

1. Draw a motion diagram for the basketball described above.
2. Draw a velocity graph for the basketball, and scale the vertical v and horizontal t axes. What time did the basketball reach its highest height?
3. Determine the maximum height of the basketball, above the point at which it started its motion at $t = 0$ seconds. (*use the area under your graph*)
4. What is the slope of your v graph at each of the instances in time described above? *Is the \pm sign of your slope consistent with the direction of your acceleration vector?*
5. Find the total area bounded by your v graph from $t = 0$ seconds to when the basketball reaches its maximum height? What is the total area bounded by your v graph from $t = 0$ seconds to when the basketball falls downwards past its starting point?
6. On the same v graph that you have drawn on graph paper, show the motion of a basketball that just after released from rest, and allowed to fall downwards towards the floor.